

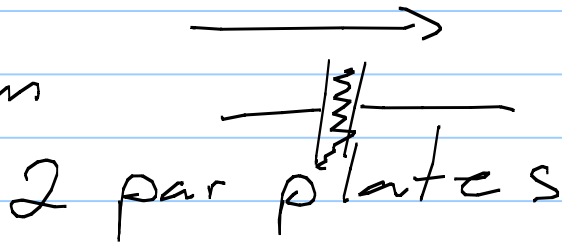
# Lecture 13:

Note Title

10/21/2009

1. Caps
2. Ind

Cap Diagram

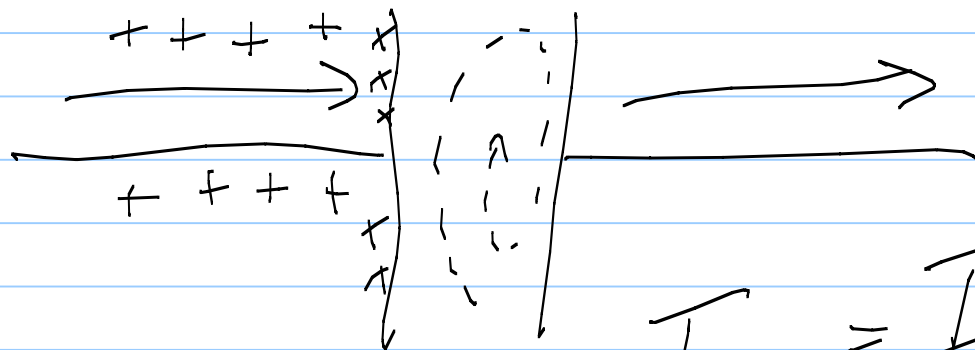


2 par plates  
w/ dielectric

apply  $I$

Maxwell:

dielectric creates  
"displacement"  $I$



$$I_{in} = I_{out}$$

Have NRG storage  
device

Farad: unit of measurement

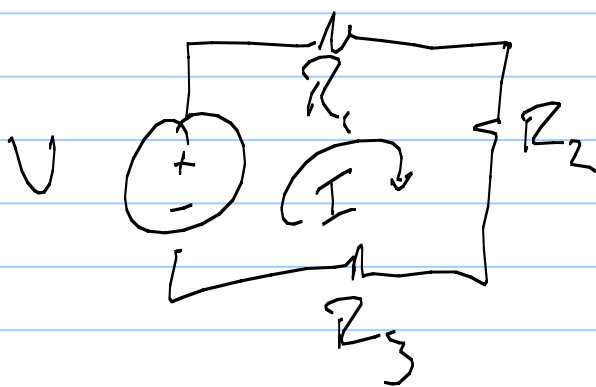
$$C = \frac{\epsilon A}{D}$$

$\epsilon$  : dielectric

$A$  : area of plates

$D$  : distance between plates

Voltage in Caps

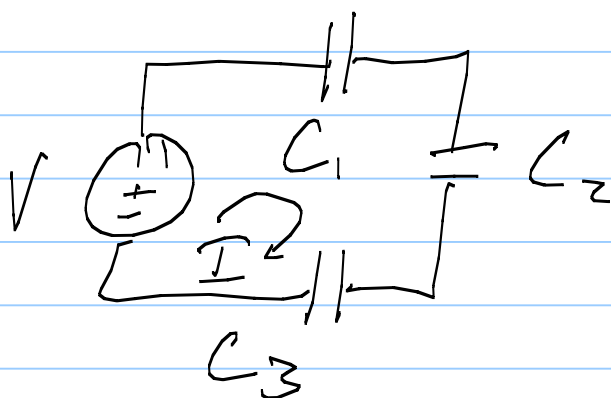


KVL

$$V = V_1 + V_2 + V_3$$

ohm

$$V = R_1 I + R_2 I + R_3 I$$



KVL

$$V = V_1 + V_2 + V_3$$

~~$$V = C_1 I + C_2 I + C_3 I$$~~

ohm's law is for R

# Current

$$i_c(t) = C \frac{dV_c(t)}{dt}$$

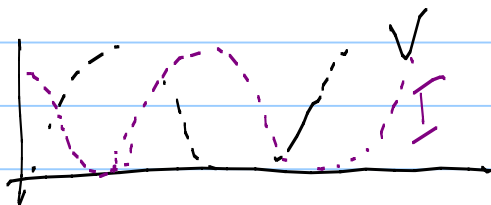
$i$  in a cap is related to a Varying  $V$

@ DC:  $V = DC \therefore I = 0$   
open

if  $V_c = 2 \sin(t)$

$$i_c = C \cdot 2 \cos(t)$$

SO  $i$  is delayed from  $V$



What happens if instant change on  $V$ ?  $\rightarrow$

$$\text{Voltage: } v(t) = \frac{1}{C} \int_0^t i(t) dt + v(t_0)$$

NRG:

$$P(t) = v \cdot i$$

$$= C v \frac{dv}{dt}$$

$$w(t) = \frac{1}{2} C v^2$$

Combo: app of R

$$\text{Par: } C_{eq} = C_1 + C_2 \dots$$

$$\text{Ser: } C_{eq} = \left[ \frac{1}{C_1} + \frac{1}{C_2} \dots \right]^{-1}$$

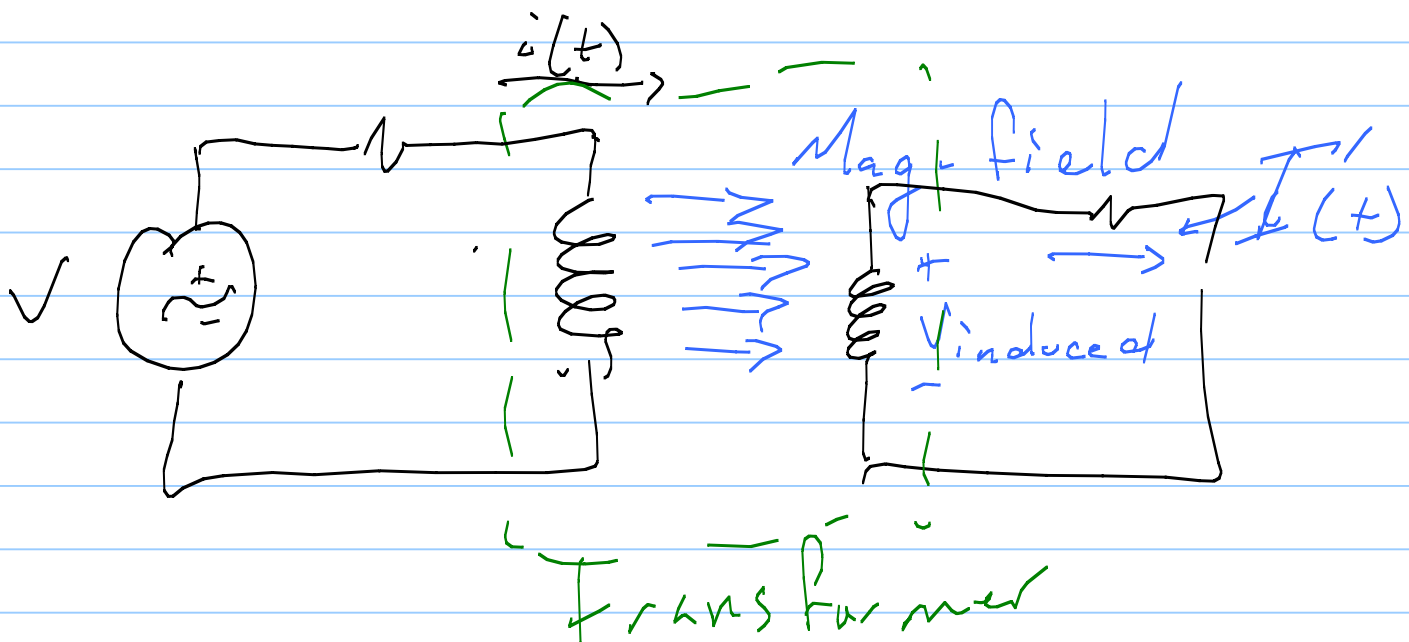
# 2 INDUCTORS

## Mag Theory

1. A changing  $I$  through a cond. creates a Mag Field

2. A changing Mag-Field creates a voltage

3. To strengthen the Mag-Field coil the wire



Measurement:

Henry

calc similar to Farads

typical values: 0.1 - 10 H

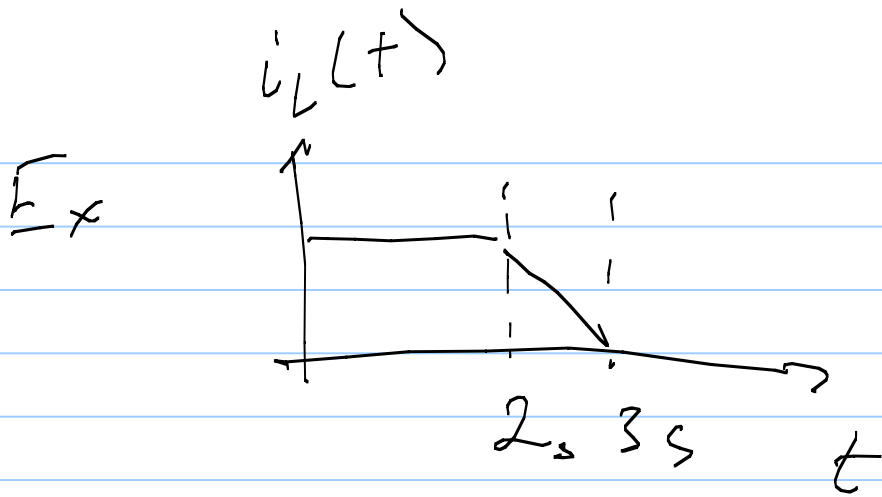
Voltage

$$V_L(t) = L \frac{di_L(t)}{dt}$$

if  $I$  is DC

$$V = \phi V_{\text{short}}$$

instant change in  $I$ ?



$$v(t)_1 = 0 \text{ V} \quad | \quad 0 < t < 2$$

$$v(t)_2 = ? \quad | \quad 2 < t < 3$$

Current:

$$i(t) = \frac{1}{L} \int v(t) dt + i_0(t)$$

Power:

$$p(t) = L i \frac{di}{dt}$$

$$\text{NRG: } w = \frac{1}{2} L i(t)^2$$

combs : same as  
R's

V  
I  
P  
 $\omega$

DC value

Instant change